

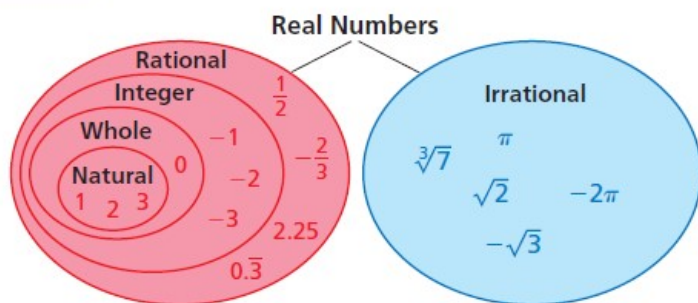
An _____ is a number that cannot be written as $\frac{a}{b}$ where a and b are integers, and $b \neq 0$.

Irrational Numbers can take 3 forms:

Key Idea

Real Numbers

Rational numbers and irrational numbers together form the set of **real numbers**.




Classifying Real Numbers

Ex:) Classify each real number.

	Number	Subset(s)	Reasoning
a.	$\sqrt{12}$		
b.	$-0.\overline{25}$		
c.	$-\sqrt{9}$		
d.	$\sqrt[3]{15}$		
e.	π		

Notes:

 When classifying a real number, list all the subsets in which the number belongs.

OYO:) Classify each real number.

Notes:

	Number	Subset(s)	Reasoning
a.	$0.121221222 \dots$		
b.	$-\sqrt{196}$		
c.	$\sqrt[3]{2}$		
d.	$\sqrt{0}$		

Approximating an Irrational Number

Ex:) Approximate $-\sqrt{24}$ to the nearest (a) integer and (b) nearest tenth.

Notes:

a.

b.

OYO:) Approximate $\sqrt{71}$ to the nearest (a) integer and (b) nearest tenth.

Notes:


a.

b.

Comparing Irrational Numbers

Ex:) Which is greater, $\sqrt{35}$ or $\sqrt[3]{80}$?

Notes:



You can use the same procedure to approximate cube roots as you used for square roots.

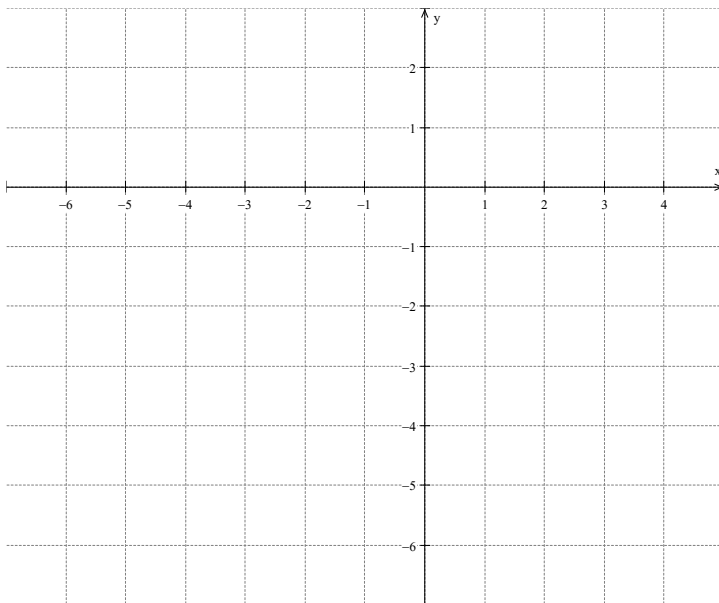
OYO:) Which is greater, $-\sqrt{2}$ or $-\sqrt[3]{10}$?

Notes:

Using the Pythagorean Theorem

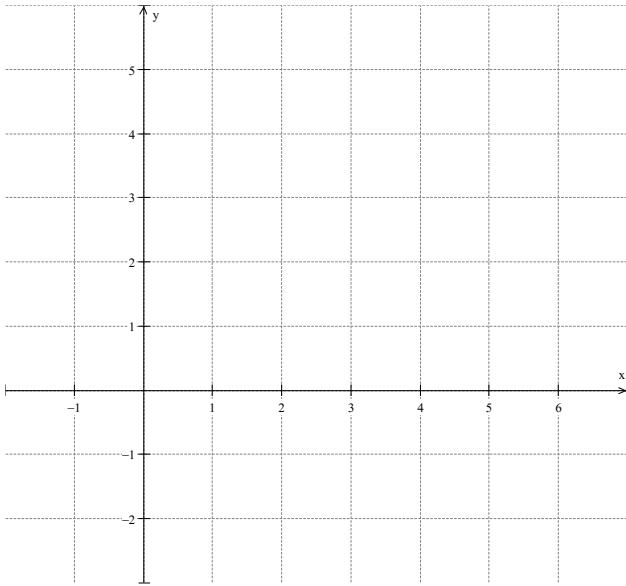
Ex:) Approximate the distance between $(-4, -3)$ and $(3, -5)$ to the nearest tenth.

Notes:



OYO:) Approximate the distance between (1, -1) and (5, 4) to the nearest tenth.

Notes:



Modeling Real Life

Ex:) The equation $d^2 = 1.37h$ represents the relationship between The distance d (in nautical miles) you can see with a periscope and the height h (in feet) of the periscope above the water. About how far can you see when the periscope is 3 feet above the water?

Notes:



OYO:) Which plane is closer to the base of the Airport Tower?
Justify your answer.

Notes:

